





(Dis)honesty under payoff uncertainty

On the influence of framing effects and the presence of money

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Abstract

The current study examines dishonest behaviour in the face of potential gains and losses in the presence of uncertainty. This experiment was conducted using the die-undercup paradigm (Shalvi et al., 2011) and used two hundred and twenty-five participants, recruited at Leiden University. In this study people had the opportunity to cheat by overreporting their results and securing a financial outcome, while remaining anonymous. Whereas the original task involved decision-making in a certainty context, this study made a slight modification to transform the setting to a probabilistic one. Potential consequences of distributing money prior to the procedure were tested by introducing a new no-cash loss manipulation to an otherwise replication study of previous work by Douma (2017). The introduction of this new condition provided support for the idea that people overstate their results to avoid experiencing a loss but not to secure an equivalent gain. This finding was only apparent when individuals did not receive any monetary contribution before engaging in the task, but were merely anticipating the distribution of cash. Possible explanatory relationships are discussed and suggestions for future research are provided.

Introduction

It is a common occurrence for people to be dishonest in pursuing their selfinterest. Nevertheless, they also resist the temptation to cheat in order to maintain a positive self-concept (Mazar, Amir, & Ariely, 2008). In this sense, it is widely believed that instead of aiming to maximize profit regardless of whether it requires cheating, people are generally honest and driven by social norms to condemn lying.

In some situations, the obtained outcome is dependent on whether or not one is being (dis)honest. Experimental studies have shown that in such cases, when presented with an opportunity, most people engage in cheating (e.g., Ariely, 2012; Shalvi, Dana, Handgraaf, & De Dreu, 2011). Provided that higher results lead to more attractive outcomes, people appear to exaggerate their performance in order to benefit themselves. However, these findings come from experiments in which dishonest behaviour leads directly to the desired consequence. More precisely, it is certain that by lying participants will achieve a particular outcome. In this line of thought, it is intriguing to examine situations of uncertainty in which cheating could either lead to winning or to no gain at all.

The vast majority of studies on cheating behaviours have used settings in which participants are sure to get a particular benefit provided that they lie. By doing this, research has been focused on examining people's reactions in dilemmas in which they need to choose between the outcome obtained by being honest and the more beneficial consequence of cheating. Therefore, in such situations people are torn between the morally right decision and their self-interested preference to maximize gains (Ariely, 2012).

Laboratory studies aiming to examine cheating behaviours usually require participants to generate a random outcome, for instance, by rolling a die. The payment people receive is directly equivalent to the outcome of the roll in such a way that the higher the number they report, the more money they would be paid. An important aspect of these experiments using the die-under-cup paradigm, is that they allow for absolute privacy in the sense that the result can only be observed by the participant herself (e.g., Fischbacher & Föllmi-Heusi, 2013; Shalvi et al., 2011). Therefore, the lack of monitoring allows people to dishonestly report a higher result than the one observed, in order to secure a higher payoff.

In general, the findings suggest that even though people overstate their results, they do not cheat to the highest degree possible. Instead, regardless of the fact that by doing this individuals forgo potential benefits, they are able to preserve their self-concept (Mazar et al., 2008; Ariely, 2012). When presented with a dilemma between cheating to increase gains and maintaining a positive self-view as being honest, people find themselves having to choose one option while sacrificing the other. Therefore, by lying to a smaller than the maximum extent, it is possible to serve self-interest and secure a higher payoff, while at the same time maintaining an honest self-concept. In this sense, people cheat to the extent that they are able to justify their lying behaviour (Shalvi et al., 2011a). More precisely, reporting a five instead of a six following a die-roll would make it easier for a person to self-justify as sacrificing own interest by forgoing a bigger gain and believing it is something other people in this situation would not have done.

Probability instead of certainty

The circumstances in everyday life are normally, however, more ambiguous than this line of research suggests. It is rarely the case that people know with certainty that cheating will lead to the desired outcome. Instead, being dishonest simply increases one's chances of acquiring a particular benefit rather than securing it - for example, job candidates may cheat on their CV in order to increase the chance of being invited for an interview. Therefore, the current study introduces a slight modification to the original dice-under-cup task.

In this experiment a bowl containing six white balls is added to the procedure. Depending on the outcome of the die-roll, these white balls are being replaced by yellow balls. In particular, the number that the participant reports leads to the substitution of the corresponding number of balls. Then, the participant is required to randomly draw a ball from the container and can either earn 6ε or nothing. If the drawn ball is yellow, the person receives 6ε , if it is white, however, she wins no money at all. In such a setting, the outcome of the die-roll determines the probability of winning rather than the monetary value of the outcome and thus over-reporting increases the chance of getting a monetary incentive.

The operating mechanisms in probabilistic settings

The proposed modification to the die-under-cup task introduces a new and important aspect to the context – uncertainty. In general, people have a tendency to dislike situations with uncertain outcomes and are reluctant to make decisions until the ambiguity is resolved. This is mainly due to the fact that they want to avoid feelings of regret (Zeelenberg, Beattie, van der Pligt, & de Vries, 1996). After a decision has been made, people engage in comparisons between the current result and the outcome of the forgone option. If the actual consequences are worse than what could have been, had the individual chosen differently, she is likely to experience regret. This idea that people are regret-averse, leads to the assumption that in a probabilistic setting they would prefer to choose a sure win rather than risk not winning at all. Therefore, they will aim to remove the uncertainty and make sure they gain by overreporting six in the die-roll task.

Hypothesis 1: People will over-report '6' and under-report all lower outcomes.

There is, however, the possibility that people are driven by a different motivation, which is likely to lead to dissimilar results. In particular, it is reasonable to assume that the introduction of a probabilistic setting to the die-under-cup paradigm would facilitate lying by allowing for self-justifications to be made. When people have rationales for their behaviour, it makes an unethical act feel less dishonest (Shalvi et al., 2011a). Thus, when the outcome of the die-roll is not fully dependent on a person's report, it should be easy to justify winning by attributing it to luck rather than cheating. In particular, even though reporting a six leads to a certain win, it can not be attributed to anything other than cheating. Nevertheless, any number lower than six reduces the 100% chance of winning and makes it uncertain and easily justifiable. Therefore, in an attempt to increase the chance of getting the desired outcome and at the same time be able to justify it, people will choose to report a five instead of a six.

Hypothesis 2: People will over-report '5's (and maybe '4's) and under-report '6's.

The power of framing

Since the two hypotheses make opposing predictions, it is important to consider the contextual characteristics that influence their relative impact. More precisely, in some situations the motivation to avoid uncertainty should be a stronger predictor of behaviour and should lead to overreporting of six. In other cases, however, the need for justifying cheating by attributing outcomes to luck should be dominant and cause underreporting of six. Thus, the way a situation is presented is a powerful determinant of which mechanism prevails.

When presented with a choice, individuals usually evaluate options in terms of gains and losses relative to a reference point, rather than in total wealth. In this sense, people appear to be highly sensitive to changes in wealth and act differently depending on whether they are facing potential gains or losses. According to prospect theory (Kahneman & Tversky, 1979) the way choices are framed has a powerful impact on preferences. Therefore, it appears that the prospect of securing a gain is much less attractive than the possibility of an equivalent loss is undesirable (Ariely, Huber & Wertenbroch, 2005; Kahneman & Tversky, 1984). The idea that losses loom larger than gains due to the greater steepness of the value function in the domain of losses, suggests that people are loss averse. Thus, framing effects play a major role in determining preferences and the actions that people take as a result. More precisely, the framing of a situation can have a substantial influence on cheating behaviours. The fact that people are loss averse should make them more likely to engage in unethical behaviours when they are presented with a decision in a loss rather than a gain frame.

The major impact of framing on individual behaviour is supported by a considerable number of studies. For instance, in a series of three experiments using hypothetical situations, Kern and Chugh (2009) showed that decision-makers behave more unethically if the consequences of the decisions were framed in terms of losses instead of gains. Furthermore, a study by Kirchler and Maciejovsky (2001) demonstrated that self-employed and business entrepreneurs' tax compliance is highly dependent on the reference point. In particular, expecting refunds was associated with high tax compliance whereas expecting to make additional payments led to lower compliance. Another relevant study by Cameron et al. (2008; cited in Cameron & Miller, 2009) implemented a self-reporting procedure to an anagram-solving task, which allowed participants to overstate their performance in order to secure a higher gain. The study showed that framing the outcome as a reduction of losses rather than a win, led to an increase in cheating behaviour. Closely related to the current research, Schindler and Pfattheicher (2017) used a multi-round modification to the dice task paradigm (Fischbacher & Föllmi-Heusi, 2013) that allowed to demonstrate that people behave more dishonestly in order to avoid a loss than they do to secure an equivalent gain.

Based on all of the evidence supporting the idea that losses are experienced more negatively than gains, uncertainty reduction would presumably be a stronger motivator in the domain of losses. This is further supported by the idea that people generally make decisions in an attempt to eliminate the possibility of experiencing regret (Zeelenberg et al., 1996). Based on the assumption that losses loom larger than gains, these feelings of regret should be experienced more negatively in a loss frame. Therefore, removing the uncertainty in the loss condition would be more important than in the gain frame so participants would over-report '6' to make sure they do not suffer a loss and thus experience regret. Since loss aversion appears to have a strong influence on cheating behaviour, people will be less concerned with making external attributions of their actions. Nevertheless, in order to be able to self-justify their behaviour by attributing winning to luck, people would over-report '5' (and maybe '4') rather than '6' in the gain condition.

Hypothesis 3a: Loss framing will lead to over-reporting of '6's as opposed to all other outcomes.

Hypothesis 3b: Gain framing will cause over-reporting of '5's (and maybe '4's), and under-reporting of '6's.

Remote prizes

A previous study using the same procedure (Douma, 2017) could not support this set of hypotheses. More precisely, the observed distribution in the gain frame condition showed a somewhat higher frequency of '4's and '5's, and a lower frequency of '6's, yet this pattern was not significantly different from a uniform distribution. The results in the loss frame condition did not differ from a uniform distribution either, with the frequencies of reported '4's, '5's and '6's varying between 14.7% and 17%. Particularly the loss frame condition revealed the striking appearance of entirely honest reports. This interesting finding brought into question the procedure used for the study and whether there could have been something undetected that influenced the results.

In this line of thought, the only difference between the two conditions was the presence of money. In other words, participants in the gain frame were merely told they could receive 6€ without them actually seeing the prize. Nevertheless, in the loss condition they were each given 6€ to keep in their wallet while rolling the die. Could this minor difference have affected the results?

When considering dishonest behaviour it appears that increasing the psychological distance between the act and the outcome leads to more cheating (Ariely, 2012). Therefore, people seem to be rather hesitant to be dishonest when actual money is present, but are more apt to cheat when being slightly remote from it. Being one step removed from money appears to have an effect on people's sense of morality and thus cheating in such situations makes it easier to preserve one's self-image.

Hypothesis 4: In a loss frame without the presence of money, people will over-report '6'.

Method

A laboratory experiment with a between-subjects design was conducted in order to test the predictions. The experiment resembled the die-under-cup task (Shalvi et al., 2011a). However, some modifications to the procedure were made and two additional questionnaires were introduced – one at the beginning of the experiment, and one immediately following the ball draw.

Participants

For the purpose of the study, participants were recruited at Leiden University. The process of recruiting consisted of advertising on the university's website, as well as

directly approaching potential participants on campus. The data was gathered from 225 people - 162 of whom were women, 60 men and 3 individuals that did not indicate their gender ($M_{age} = 21.13$ years, $SD_{age} = 4.04$).

Most participants were introductory psychology students and received course credit for participation. The monetary compensation for taking part in the study, however, was dependent on the outcome of the die-under-cup task. Thus, participants could either receive an additional cash prize of $\notin 6$ or go home with no additional cash prize. All participants were required to sign the informed consent before they proceeded with the experiment.

Manipulation of framing

In order to test predictions, a slight modification of the die-under-cup task used by Shalvi et al. (2011) was applied. In their study, participants reported the result of the die-roll and received an amount of money that directly corresponded to the number they declared. In particular, reporting a two would earn people 2\$, reporting a three would guarantee 3\$, and so on. In the present study, participants first rolled the die and then picked a ball from a container. At the beginning of the experiment, there were six white balls in the container which could be substituted by yellow balls depending on the result that the participant reported. For instance, rolling a two led to replacing two white balls by two yellow ones, reporting a three resulted in changing three white balls for yellow ones, and so on. Then, after the result of the roll had been reported and the balls had been substituted, participants were asked to blindly take a ball from the container. Provided that the ball they picked was yellow, they walked away with 6€. However, if the ball was

white – they left with no money. This modification to the original procedure was intended to transform the study setting from a certainty paradigm to a probabilistic one.

Participants read that they would be given a paper cup, which had a die inside, a cover on the top and a small hole on the bottom. They would then have to shake the cup in order to roll the die, then look through the hole to see their result and report it. The reported number would then determine the number of white balls that would be substituted by yellow balls in the ball container. In the gain frame, individuals read that based on the outcome of the roll, they had a chance of *winning* 6€. Therefore, if they picked a yellow ball – they would earn 6€. In the two loss conditions participants were informed that they had 6€, which they could *lose* provided that they drew a white ball. The difference between the two loss conditions refers to the presence or absence of the money people could lose. More specifically, in the first of the two manipulations participants were given 6€ to put in their wallets before rolling the die, while in the other, they did not receive any actual money prior to the die-roll but were simply told they possessed it. Therefore, the latter manipulation was intended to be an exact equivalent to the gain condition with the sole exception of the wording.

Procedure

The experiment took place in the lab of Leiden University. Participants were invited in the lab where they first read and signed the informed consent, which introduced the experiment as a study on "uncertain events" and that all of the data would be treated confidentially. The main idea of the informed consent was to explain that participation was entirely voluntary and could be discontinued at any point, and also served as a first manipulation of the independent variable. In other words, depending on the condition that participants were randomly assigned to, the informed consent was framed either as a gain scenario, in which they could win $6 \in$ (Appendix 1), or a loss scenario, in which they would face potentially losing $6 \in$ (Appendix 2). After reading and signing the informed consent, participants in the loss condition with presence of money were given $6 \in$ by the experimenter, were told that it was theirs now and were asked to put the money in their wallet. In the other two conditions no money was distributed prior to the manipulation.

Then, participants were invited into an individual cubicle, where they had to fill in the first questionnaire (Appendix 3), handed in by the experimenter. The purpose of this questionnaire was to increase face validity of the research goal to investigate uncertainty. Participants were instructed to remain in the cubicle with the door closed and only open it when they were finished filling in their responses. One of the experimenters handed over the questionnaire and requested to stay in the cubicle and to open the door when finished. Then, the experimenter collected the questionnaire, provided the person with the instructions of the actual procedure and closed the door again. Participants were once again asked to stay in the cubicle with the door closed until they finish reading and then open the door again.

Each participant was randomly assigned to one of three conditions – a gain condition, a loss condition with the presence of money, and a loss condition, in which the money was not shown. There were 75 individuals participating in each one. All three conditions applied the same die-under-cup task, which required people to roll a six-faced die placed in a cup that had a small hole on the bottom, all of which was explained in the instruction sheet.

The die-roll procedure was designed in such a way that ensured participants that the outcome of the roll could not be observed by anybody but themselves. Not only they were alone in their cubicle with the door closed but the hole on the cup was just big enough for them to have to peak in the cup in order to see the outcome so nobody else could know what the die showed. Furthermore, in order to guarantee that the die was fair, participants were told they were allowed to roll it an extra two times but to ignore the outcomes of these throws and only report the first one. These subsequent rolls also served as an additional guarantee that participants' actual outcome from the die-roll could never be known by the experimenter.

Depending on the condition individuals were assigned to, they received either the gain-framed instruction sheet (Appendix 4), the loss-framed one where it was stated that they had received the money already (Appendix 5), or the other loss-framed sheet in the condition they received no cash prior to the procedure (Appendix 6). After reading the instructions and opening the door again, participants were given a decision sheet, which was again framed in terms of a potential gain or a loss (Appendix 7) and a covered paper cup with a die inside. They were once again asked to stay in the cubicle with the door closed until they finish with the procedure. Participants had to follow the instructions on the instruction sheet and open the door again once they had written down the number of the first roll on the decision sheet. They were then invited by the experimenter to come out of the cubicle to do the ball draw. For the ball draw, the experimenter substituted a number of white balls by yellow ones directly corresponding to the die-roll result that was indicated in each individual's decision sheet. Then individuals were asked to blindly thrust their hand into the container and take a ball.

In case a participant in the gain condition or the loss condition where no money was distributed drew out a yellow ball, she received 6ε from the experimenter. If a participant in the other loss condition got a yellow ball, she was told she could keep the 6ε given by the experimenter. In that same condition, drawing a white ball resulted in participants having to give back the money, whereas in the other two manipulations they were merely told they did not win or they lost the amount of money that was never shown. Finally, all participants were then asked to fill in a last questionnaire, which was printed on a different coloured paper depending on the colour of the ball they had drawn (Appendix 8). The idea was to check for differences in feelings, expectations, motivation and possible explanations of behaviour of those who received 6ε and those who did not. All individuals then signed a sheet for receiving money (and/or ECTS) and read the debriefing form of the study (Appendix 9).

Instruments

The present study only required the use of a six-faced die, which was placed in a paper cup. The cup had a paper cover on top of it and a small hole on the bottom. Also, a paper box with 6 white table tennis balls was used. The box served as a ball container and additional 6 yellow table tennis balls were present to substitute (some of) the white ones when necessary. In addition, two questionnaires were used.

Dependent measures

Reported outcome. Participants' reported outcome served as one evidence of whether the framing manipulations actually worked. More precisely, the idea was to check whether

the observed number of reported outcomes was different than an equal distribution in each of the conditions and compare. Since the probability to roll any of the numbers should be the same, observing substantially higher or lower frequencies of any number would indicate dishonesty.

Questionnaires. In addition to the actual task, participants were asked to fill in two questionnaires. A custom questionnaire was created as a mixture between the Work Locus of Control Scale (Spector, 1988) and the FAD-plus Free Will and Determinism scale (Paulhus & Carey, 2011) and required participants to rate 44 statements.

The FAD-plus scale assessed on a 5-point Likert scale (1="strongly disagree" to 6="strongly agree") beliefs regarding the extent to which different events are caused by free will or determinism (e.g., "*No one can predict what will happen in this world.*"). The FAD-Plus scale consists of 27 items divided into 4 subscales – Free will (7 items), Scientific determinism (7 items), Fatalistic determinism (5 items), Unpredictability (8 items). However, in the current sample the Scientific determinism scale was found to be not reliable enough (N = 220, $\alpha = .51$), so the items forming it were excluded from further analyses. The other three subscales had sufficient reliability – Free will (N = 220, $\alpha = .69$), Fatalistic determinism (N = 218, $\alpha = .81$) and Unpredictability (N = 220, $\alpha = .72$)

The Work Locus of Control scale measured participants' attributions of various events to internal or external causes on a 6-point Likert scale ranging from 1="strongly disagree" to 6="strongly agree" (e.g., "*Getting the job you want is mostly a matter of luck.*"). The Work Locus of Control Scale (WLCS) consists of 16 statements, which form

one general scale (N = 216, $\alpha = .75$). All items phrased in terms of external locus of control were reverse-coded, so higher scores on this scale represent stronger internal locus.

Furthermore, another questionnaire was used at the end of the experiment, straight after the ball draw procedure was completed. The main idea was to measure relevant constructs, such as Dishonesty, Trust and Uncertainty avoidance, which could possibly aid in the interpretation of the die-roll task results. This questionnaire used a 9-point Likert scale ranging from "fully disagree" to "fully agree". There were 32 statements related to attitudes, perceptions and feelings about the procedure and the outcomes. A principal component analysis was performed on all items with the exception of the first one, which served as a manipulation check. Following this, three relevant subscales were created.

Dishonesty (N = 219, $\alpha = .78$) included four statements – "I thought about reporting a high number, even if I would roll a low number."; "I felt that it was important to accurately report the number I really rolled." (reverse-coded); "It was important to report my dice roll honestly." (reverse-coded) "I think that it is okay to report a higher number in this experiment."

Trust (N = 217, $\alpha = .72$) consisted of five items – "I felt that the experimenter trusted me."; "The behavior of the experimenter showed that she fully trusted me."; "I was convinced that the experiment would take place exactly as announced beforehand (i.e., in the informed consent and the instructions)."; "I fully trusted the experimenter."; "It was important that I behaved in a trustworthy manner."

Uncertainty avoidance (N = 223, $\alpha = .80$) included two statements – "Facing the uncertain outcome of the lottery was very unpleasant."; "I felt uncomfortable not knowing whether I would draw a winning ball." Initially there was one more statement part of the scale - "I strongly wanted to draw a winning ball". However, removing the statement increased the reliability level from a = .68 and after thorough consideration it appeared to measure a distinct construct (e.g., desire to win).

Results

Manipulation check. One-way ANOVA was performed as a manipulation check, using the first item from the post-experiment questionnaire - "The uncertain event, that is, the result of dice roll and ball draw was about...", which was scored on a 9-point scale ranging from 1 = "avoiding a loss of 6" to 9 = "achieving a gain of 6". The manipulation check statement was used as a dependent variable and the experimental condition as a fixed factor, F(2, 165) = 5.78, p = .004, $\eta^2 = .007$. The results from the manipulation check show that even though there was a significant difference between conditions, the effect was very small. Post hoc comparisons using the Bonferroni test indicated that the mean score in the gain condition (M = 7.36, SD = 2.02) was significantly different (p = .003) than the cash loss condition (M = 5.69, SD = 2.96), but not (p = .162) from the no-cash loss manipulation (M = 6.44, SD = 2.61). Perceptions in the two loss conditions did not differ from one another (p = .359).

It is worth mentioning that not all participants had filled in the manipulation check statement, which might have had an influence on the result of the analysis. However, the majority of people indicated an answer (N = 168), so this explanation is unlikely.

Overreports of six. All hypotheses were tested with non-parametric chi-square tests to check whether the observed number of reported outcomes was significantly different than what would be expected by chance. In other words, since all die numbers should be rolled with equal frequency, the probability of each outcome should be the same, forming a flat line distribution of results. Therefore, there is a 16.7% chance to roll each of the six outcomes.

In order to test the first hypothesis that people over-report '6' and under-report all other outcomes to remove the uncertainty of obtaining the most beneficial outcome, a chi-square test on all data, regardless of condition, was performed. The observed distribution of data gathered from all two hundred and twenty-five participants revealed that the sample distribution of results was indeed significantly different from a uniform flat line distribution, $\chi^2(5, N = 225) = 11.24$, p = .047. As Table 1 shows, the dice face for which the observed number of reports deviated most from the expected number was the '1'. In addition, there was a high deviation of observed reports from an equal distribution of '6' as well, which might also have contributed to the significance of results. Therefore, Hypothesis 1 was partially supported by the data - people under-reported '1' (9.3%) and over-reported '6' (21.3%).

	Observed	Expected N	Residual	
1	21 (9.3%)	37.5	-16.5	
2	36 (16%)	37.5	-1.5	
3	37 (16.4%)	37.5	5	
4	43 (19.1%)	37.5	5.5	
5	40 (17.8%)	37.5	2.5	
6	48 (21.3%)	37.5	10.5	

Table 1. Observed and expected reported outcomes of all data

Overreports of '5' (and '4'). The second hypothesis predicted that people would overreport '5' (and '4') and under-report '6' in order to be able to attribute potential success to chance rather than own cheating behaviour. This hypothesis was tested using the same chi-square test, $\chi^2(5, N = 225) = 11.24$, p = .047. The pattern of results presented in Table 1 does not support this prediction. There were slight over-reports of '5' (17.8%) and '4' (19.1%) but also over-reports of '6' (21.3%), which contradicts this prediction.

Effects of framing. The third hypothesis was divided into two predictions, depending on the framing of the procedure.

According to Hypothesis 3a loss framing (both loss conditions) would result in overreports of '6'. To test this prediction, a chi-square test was performed on the data from the one hundred and fifty participants that were assigned to one of the two loss conditions (M = 3.93, SD = 1.58). There was a significant difference between expected and observed frequencies of reports, $\chi^2(5, N = 150) = 12.72$, p = .026. However, based on the information found in Table 2, it can be concluded that this is due to under-reports of

'1' (7.3%), as opposed to over-reports of '6' (22%). Thus, Hypothesis 3a was not supported.

Nevertheless, it is worth noting that, whereas reports in the gain condition were somewhat honest, in the loss conditions there were over-reports of '4' and '6' (and not so much '5') and under-reports of all other outcomes (see Table 2).

		Observed	Expected N	Residual
Loss	1	11 (7.3%)	25	-14
	2	23 (15.3%)	25	-2.0
	3	24 (16%)	25	-1.0
	4	32 (21.3%)	25	7.0
	5	27 (18%)	25	2.0
	6	33 (22%)	25	8.0
	Total	150		
Gain	1	10 (13.3%)	12.5	-2.5
	2	13 (17.3%)	12.5	.5
	3	13 (17.3%)	12.5	.5
	4	11 (14.7%)	12.5	-1.5
	5	12 (17.3%)	12.5	.5
	6	15 (20%)	12.5	2.5
	Total	75		

Table 2. Observed and expected reported outcomes by condition framing

Hypothesis 3b predicted that gain framing would cause overreporting of '5' (and possibly '4') and underreports of '6'. Non parametric chi square test was performed on the data gathered from participants in the gain condition only (M = 3.65, SD = 1.72), $\chi^2(5, N = 75) = 1.24$, p = .941. This result was non-significant, suggesting that the observed distribution did not differ from uniform and thus Hypothesis 3b could not be supported.

Overreports of six in the no-cash loss condition. Finally, the last Hypothesis 4 predicted that in the loss condition, in which no money was given to participants prior to the ball draw, there would be a higher number of reported 6s than what would be expected by chance only. Hence, another chi-square test was run on the data gathered from the seventy-five people who were assigned to this manipulation (M = 4.11, SD = 1.62). The results showed that the observed data distribution was significantly different than a fair die distribution, $\chi^2(5, N = 75) = 11.48$, p = .043. Furthermore, as can be seen in Table 3, the biggest difference between expected and observed outcomes was exactly in the reporting of '6's, which suggests that the significance of the chi-square statistic is due to this discrepancy. Thus, Hypothesis 4 was supported by the data. The findings in the cash loss condition were non-significant, $\chi^2(5, N = 75) = 5.40$, p = .369, so the overall significance in the loss condition was due to the effects of the no-cash loss.

The results of this analysis also show a great difference between the expected and the observed reports of '1's, which might also contribute to the significance of the test statistic. Even though this pattern was not part of the predictions, it might be interesting to discuss some plausible explanations.

Observed Expected N Residual 5 (6.7%) 12.5 -7.5 1 -1.5 2 11 (14.7%) 12.5 3 10 (13.3%) 12.5 -2.5 4 15 (20%) 12.5 2.5 5 13 (17.3%) 12.5 .5 6 21 (28%) 12.5 8.5

Table 3. Observed and expected reported outcomes of no-cash loss condition

Relationships between measures. A correlation analysis was performed on the seven scales computed from the questionnaires (Locus of control, Free will, Fatalistic Determinism, Unpredictability, Trust, Dishonesty, Uncertainty avoidance), participants' reported number and the experimental condition (gain condition=1, cash loss condition=2, no-cash loss=3).

A Spearman's rank-order correlation test on the relationship between the experimental condition and each of the questionnaire scales and reported outcome. A Pearson correlation analysis between all scales and reported outcomes was run. The most interesting and substantial finding of this analysis was that there is a medium to large negative correlation between Dishonesty and Trust (r = -.450, p < .001). Therefore, stronger positive attitudes towards behaving in a dishonest way during the experiment were related to lower perceptions of trust between the participant and the experimenter.

Although the effect was small, another intriguing finding was that there was a negative relationship between Reported outcome and Uncertainty avoidance (r = -.164, p = .014). This result suggests that higher reported number were associated with lower levels of anxiety toward the uncertain outcome of the die roll. The rest of the findings are summarized in Table 4.

Table 4 Correlations questionnaire scales, reported outcome and experimen	tal condition
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Variable	М	SD	Condition	Number	Locus of	Free will	Fatalistic	Unpredictability	Trust	Dishonesty	Uncertainty
variable				reported	Control		Determinism				avoidance
Condition	-	-	-								
Number reported	3.84	1.63	.112	-							
Locus of control	2.24	.48	100	.061	-						
Free will	3.44	.58	.013	064	199**	-					
Fatalistic	1.97	.70	166*	.028	.267**	.000	-				
Determinism											
Unpredictability	3.17	.57	108	.109	.179**	.047	.220*	-			
Trust	7.52	1.17	085	.129	.073	.109	.036	.160*	-		
Dishonesty	2.64	1.61	.062	055	.088	112	153*	017	450**	-	
Uncertainty	3.53	2.05	.017	164*	.144*	015	.158*	.057	-082	.069	-
avoidance											

**. Correlation is significant at the 0.01 level (2-tailed).

*. Correlation is significant at the 0.05 level (2-tailed).

Discussion

The present work contributes to our understanding of cheating in a probabilistic setting. This study examined dishonest behaviour when facing potential gains or losses in the presence of uncertainty. This experiment was conducted using a die-under-cup paradigm, which gave participants the opportunity to cheat anonymously by exaggerating the outcome of the die-roll without suffering any consequences. They could then potentially go home with monetary incentives depending on the colour of a ball drawn. A novel modification to the usual task was the introduction of uncertainty, in the sense that the outcome of the die roll did not directly translate into the corresponding amount of money (Shalvi et al., 2011a) but simply increased one's odds of obtaining 6ε . Potential

consequences of distributing money prior to the procedure were tested by introducing a new no-cash loss manipulation to an otherwise replication study of previous work by Douma (2017). The introduction of this new condition provided support for the idea that people overstate their results to avoid experiencing a loss but not to secure an equivalent gain.

When presented with an uncertain situation, individuals tend to seek ways to resolve this unpredictability. The current study tested whether individuals would aim to secure their chances of obtaining the desired financial outcome by over-reporting '6's and under-reporting all lower outcomes. This idea was partially supported by the findings. In fact, '6's were indeed slightly over-reported but the more substantial observed effect was under-reporting of '1's, suggesting that participants did exaggerate their performance but only to the extent to avoid almost certainly going home empty-handed.

A plausible explanation of the results can be found in prospect theory (Kahneman & Tversky, 1979). A certain prospect is most influential on decision-making when it is transformed from unattainable to possible due to the steepness of the curve in its beginning. Even though reporting a '1' does not entirely eliminate the chance of securing the 6ε , the possibility is very small and therefore substantially underrated, so individuals attempt to increase their odds at succeeding. The same line of reasoning goes for overreports of '6's – making a possible prospect a sure one is especially attractive. Furthermore, previous work suggests that in general, individuals aim to avoid situations, in which they will regret the decisions they did (not) make (Zeelenberg et al., 1996). In terms of the present study this means that since the possibility of experiencing regret is

highly salient when the outcome of the die-roll is '1', reporting any other number increases one's chances of success and makes regret more unlikely.

An interesting finding is that there were over-reports of '5's and '4's, even though the effect was only slight and not significant. This pattern suggests that overall, people tried to increase their chances of succeeding by exaggerating their performance. These findings are in line with previous work on cheating, specifically the concept of 'ethical manoeuvring' (Shalvi, Handgraaf, & De Dreu, 2011). This idea that people have a tendency to compromise between the desire to be moral and to serve own self-interest by not engaging in neither major, nor minor lies, explains the prevalence of '4's and '5's.

Past research on framing effects in the die-under-cup paradigm supports the idea that people behave more dishonestly when faced with a potential loss rather than a gain, by overstating their outcomes (Schindler & Pfattheicher, 2017; Shalvi et al., 2011a). Although not by a large extent, the current results are in line with these findings – individuals in the two loss conditions exaggerated their performance by reporting higher numbers more often. The main finding was, however, that they also under-reported '1's, which was not the case in the gain condition. Overall, these findings imply that people try to avoid a potential loss to a stronger extent than they aim to secure an equivalent gain, by being more dishonest (e.g., Kern & Chugh, 2009; Kirchler, & Maciejovsky, 2001). In addition, as already suggested in previous work (Grolleau, Kocher & Sutan, 2016), acting in an unethical way could be considered as more acceptable by third parties provided that the norm of being honest is not as strict in the domain of losses.

Introducing a new manipulation to the experimental setting previously applied (Douma, 2017) provided evidence of substantial over-reports of '6's. These findings

could be attributed to the remoteness of money. Dishonest behaviour is facilitated by extending the psychological distance between the lie and its consequences (Ariely, 2012). Although individuals appeared to restrain themselves from cheating when money was given to them prior to performing the task, they did not mind exaggerating their outcomes when merely anticipating receiving payment. The new setting provided individuals with an opportunity to preserve self-concept and own sense of morality, while at the same time serving self-interest.

In order to get a more in-depth understanding of the findings, the interactions between different factors were explored. Most importantly, the negative relationship found between trust and dishonesty implies that people who did not trust or feel trusted by the experimenter were more likely to engage in cheating. Past research on the influence of trust in subsequent behaviour shows that people who are lied to or distrusted by another person, tend to react with the same negativity towards that person and are more likely to engage in cheating (Houser, Vetter & Winter, 2012; Tyler, Feldman & Reichert, 2006). The results support the notion of negative norms of reciprocity, which favor retaliation as a suitable means to reciprocate to being subjected to negative treatment by another person (Gouldner, 1960; cited in Tyler et al., 2006).

Exploring the relationships between different constructs revealed the counterintuitive finding that uncertainty avoidance and individuals' reported outcome were negatively related. However, since this concept was measured after the actual procedure, it is likely that people's actual outcome distorted their memories about how they actually felt while performing the actual task. In a study on memory and emotions, Levine (1997) shows that present appraisal of a situation contributes to systematic

alterations when trying to recall past events. Memories for emotional experiences are partially reconstructed and influenced by current judgment, meaning that an obtained financial outcome increases positive mood and thus makes it difficult to recall being uneasy about potentially going home without any money.

In general, the findings of the present study are in line with previous research by Douma (2017). More precisely, in her study people appeared to be honest with the presence of only slight over-reports of '4's and '5's, which completely corresponds to the present findings. Threfore, even though some predictions were not supported, it seems that the present work was able to replicate the past study's conclusions and provide some additional interesting findings thanks to the introduction of a new manipulation.

Limitations and directions for future research

The current study was successful in finding differences in cheating behaviour when facing potential gains as opposed to losses, although some of the discrepancies were not significant. A possible disadvantage of the study's design concerns the fact that most of the factors potentially influencing the outcomes were measured with a post-hoc questionnaire. Therefore, one should be extremely careful when drawing conclusions based on these findings since they might not accurately correspond to participants' attitudes while performing the task itself, but be influenced by the obtained outcome. In this sense, a possible alternative would be to measure some of these constructs (e.g., trust, dishonesty, uncertainty avoidance) with another custom-made questionnaire prior to the actual procedure. Then, conduct the study a few weeks later in order to avoid potential priming effects of cheating. Furthermore, the main part of the findings came from correlational analyses so no definitive conclusions of causality could be made. Thus, it would be interesting to conduct a study with a different experimental design in order to explore various alternative explanations for the observed effects. Directly manipulating relevant concepts such as trust and uncertainty avoidance by introducing them in the experimental conditions could potentially aid in answering important questions about the nature of the effects.

Moreover, the sample used in the present study consisted mainly of first year psychology students, who were granted 1ECTS for participation, regardless of the outcome of the ball draw. It seems therefore plausible, that they did not perceive the possible monetary outcome as an important stimulus when reporting their outcomes. However, this is unlikely the case, since cheating behaviour was present in one of the manipulations. Nevertheless, a possible idea would be to use a different sample, in which participants are not dependent on ECTS or, alternatively, make all distributed outcomes contingent on the colour of the ball drawn.

Finally, previous research found that unethical behaviour for personal gain tends to increase in the presence of wealth (Gino & Pierce, 2009). However, the amount of money they used was higher than what was distributed in the present study, so it could be that the participants were not tempted enough to cheat. In this sense, a possible future direction would be to introduce a higher amount in the design to check whether the main part of individuals will still remain honest in general.

Conclusion

The current work contributes to the comprehension of dishonest behaviour in the face of uncertain gains as opposed to losses. In particular, this research was successful in replicating previous findings using the same procedure and demonstrating differences in actual cheating due to the introduction of a new condition. Overall, the study supported the idea that people tend to overstate their performance to avoid suffering a loss but not to obtain an equivalent gain.

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Appendix 1 Informed Consent Gain Frame

Informed Consent

Thank you for participating in our study on uncertain events!

In this experiment, you can *win six Euro*. Whether you win, will depend on a random ball draw. You will draw a ball out of a box that contains yellow and white balls. *If you draw a yellow ball, you win* \notin 6. If you draw a white ball, you win nothing. Before the ball draw you will first fill in a questionnaire.

All your responses during this experiment will be *anonymously coded* and *treated confidentially*.

You can stop at any time if you wish. If you any complaints, please contact dr. W. Steinel, wsteinel@fsw.leidenuniv.nl

Please sign below to indicate that you understood and agree with this procedure.

Leiden,

Name	Signature	

Appendix 2 Informed Consent Loss Frame

Informed Consent

Thank you for participating in our study on uncertain events!

In this experiment, *you start with six Euro*. Whether you may take this money home, however, will depend on *a random ball draw*. You will draw a ball out of a box that contains yellow and white balls. If you draw a yellow ball, you may keep the \in 6. *If you draw a white ball, you lose the money.* Before the ball draw you will first fill in a questionnaire.

All your responses during this experiment will be *anonymously coded* and *treated confidentially*. You can stop at any time if you wish. If you any complaints, please contact dr. W. Steinel, wsteinel@fsw.leidenuniv.nl

Please sign below to indicate that you understood and agree with this procedure.

Leiden,

Name	Signature

Appendix 3 First questionnaire

Experiment: Uncertain Events

Participant number:

Please give us the following information about yourself

- I am a 🛛 🗆 Man
 - □ Woman
 - Different *or* I don't want to tell

I am _____ years old.

How often have you participated in similar experiments at the Faculty of Social Sciences?

- Never: This is my first time
- Once before: This is the second experiment I participate in
- □ Twice before: This is the third experiment I participate in
- □ Three times before: This is the fourth experiment I participate in
- □ I have been participating in more than three experiments before

How much do you agree with the following statements?	stro <u>dis</u> a	ngly gree	,		9	strongly agree
A job is what you make of it.	1	2	3	4	5	6
On most jobs, people can pretty much accomplish whatever they set out to accomplish.	1	2	3	4	5	6
If you know what you want out of a job, you can find a job that gives it to you.	1	2	3	4	5	6
If employees are unhappy with a decision made by their boss, they should do something about it.	1	2	3	4	5	6
Getting the job you want is mostly a matter of luck.	1	2	3	4	5	6
Making money is primarily a matter of good fortune.	1	2	3	4	5	6
Most people are capable of doing their jobs well if they make the effort.	1	2	3	4	5	6
In order to get a really good job you need to have family members or friends in high places.	ו 1	2	3	4	5	6
Promotions are usually a matter of good fortune.	1	2	3	4	5	6
When it comes to landing a really good job, who you know is more important than what you know.	1	2	3	4	5	6
Promotions are given to employees who perform well on the job.	1	2	3	4	5	6
To make a lot of money you have to know the right people.	1	2	3	4	5	6
It takes a lot of luck to be an outstanding employee on most jobs.	1	2	3	4	5	6
People who perform their jobs well generally get rewarded for it.	1	2	3	4	5	6
Most employees have more influence on their supervisors than they think they do.	/ 1	2	3	4	5	6
The main difference between people who make a lot of money and people who make a little money is luck.	1	2	3	4	5	6

Please turn over.

How much do you agree with the following statements?	strongl <u>dis</u> agre	y e		st	rongly agree
I believe that the future has already been determined by fate.	1	2	3	4	5
People's biological makeup determines their talents and personality.	1	2	3	4	5
Chance events seem to be the major cause of human history.	1	2	3	4	5
People have complete control over the decisions they make.	1	2	3	4	5
No matter how hard you try, you can't change your destiny.	1	2	3	4	5
Psychologists and psychiatrists will eventually figure out all human behavior.	1	2	3	4	5
No one can predict what will happen in this world.	1	2	3	4	5
People must take full responsibility for any bad choices they make.	1	2	3	4	5
Fate already has a plan for everyone.	1	2	3	4	5
Your genes determine your future.	1	2	3	4	5
Life seems unpredictable—just like throwing dice or flipping a coin.	1	2	3	4	5
People can overcome any obstacles if they truly want to.	1	2	3	4	5
Whatever will be, will be—there's not much you can do about it.	1	2	3	4	5
Science has shown how your past environment created your current intelligence and personality.	1	2	3	4	5
People are unpredictable.	1	2	3	4	5
Criminals are totally responsible for the bad things they do.	1	2	3	4	5
Whether people like it or not, mysterious forces seem to move their lives.	1	2	3	4	5
As with other animals, human behavior always follows the laws of nature.	1	2	3	4	5
Life is hard to predict because it is almost totally random.	1	2	3	4	5
Luck plays a big role in people's lives.	1	2	3	4	5
People have complete free will.	1	2	3	4	5
Parents' character will determine the character of their children.	1	2	3	4	5
People are always at fault for their bad behavior.	1	2	3	4	5
Childhood environment will determine your success as an adult.	1	2	3	4	5
What happens to people is a matter of chance.	1	2	3	4	5
Strength of mind can always overcome the body's desires.	1	2	3	4	5
People's futures cannot be predicted.	1	2	3	4	5
When I am in conflict with someone else, the BEST outcome for me occurs whe	n:				
I behave competitively and they behave cooperatively.					
□ We both behave cooperatively					

 I behave competitively and they behave cooperatively. 	
 We both behave cooperatively. 	

When I am in conflict with someone else, the WORST outcome for me occurs when:					
	I behave cooperatively and they behave competitively.				
	We both behave competitively.				

Please open the door and wait for the experimenter!

Appendix 4 Instructions Gain Frame English and Dutch

Please read the instructions entirely and carefully.

In this experiment, your payoff will depend upon your decisions. All your decisions will be anonymous. You will indicate your decisions on a decision sheet that will be given by the experimenter during the experiment. There is no good nor bad answer.

From now and until the end of the experiment, we ask you to remain silent. If you have any questions, open the door and the experimenter will come to answer your questions privately.

General framework of the experiment

In this experiment, *you can win a prize of* $\epsilon 6$. There will be 6 coloured balls, either white or yellow, which are placed into a bowl. You have to randomly draw one ball which determines whether you win $\epsilon 6$. If the ball you draw is yellow you win $\epsilon 6$; if the ball you draw is white you win nothing. At the beginning of the experiment, there are 6 white balls in the bowl. The number of yellow balls that will replace these white balls depends on your dice roll.

Before randomly drawing a ball, you will have to roll a regular, six face dice. More precisely, you have an opaque cup with a cover. The small hole located in the cover allows you to see the dice. You must shake the cup to throw the dice. Then put it down and, without moving the cup, take a look through the hole to observe the outcome of your throw. The number displayed by the dice will determine the number of yellow balls that will replace the white balls in the bowl (the decision sheet indicates the number of yellow and white balls according to each possible outcome of the dice).

The first roll will determine the number of yellow balls located in the bowl. After the first roll, we ask that you roll the dice under the cup 2 more times so that you can verify for yourself that the dice is legitimate.

Open the door after you are done reading these instructions, then the experimenter will give you a "decision sheet" as well as the cup so you can roll the dice. After rolling the dice three times, tick on the "decision sheet" the number displayed by the first roll. Leave the cup next to the computer. Give the decision sheet to the experimenter, so the experimenter can prepare the draw (i.e., replace as many white balls by yellow ones as the number you have rolled in the first dice roll), then you may randomly draw a ball from the bowl. If this ball you draw is yellow you receive $\epsilon 6$ and sign for receiving the money. If the ball you draw is white you will receive no money.

Lees de instructies volledig en nauwkeurig door.

Het bedrag wat je in dit experiment kunt verdienen hangt volledig af van je eigen beslissingen. Al je beslissingen zijn anoniem en niet bekend bij de proefleider. Je wordt gevraagd om je beslissingen aan te geven in de beslissingstabel, die je later tijdens het experiment zult ontvangen van de proefleider. Er zijn hierbij geen goede of foute beslissingen.

Vanaf nu tot het einde van het experiment willen we je vragen of stil te blijven. Als je vragen hebt kan je de deur openen en zal de proefleider je vraag privé beantwoorden.

Experiment

Tijdens dit experiment kan je ϵ 6 *winnen*. Er zullen 6 gekleurde balletjes, wit of geel, in een bak gestopt worden. Je zult gevraagd worden om één bal te pakken, zonder dat je ziet welke kleur deze heeft. Als de bal geel is win je ϵ 6; als de bal wit is win je niks. Aan het begin van het experiment zullen er 6 witte ballen in de bak zitten. Het aantal gele ballen dat de witte ballen zal vervangen hangt af van het aantal ogen dat je gooit met een dobbelsteen.

Voordat je straks een bal pakt uit de bak, rol je dus eerst een dobbelsteen. Dit is een gewone dobbelsteen met 6 zijden. Deze dobbelsteen bevindt zich in een papieren beker die is afgedekt. In deze afdekking zit een gat, zodat je kunt zien wat je hebt gegooid. Om de dobbelsteen te rollen schud je de beker om de beker vervolgens neer te zetten. Zonder de beker te bewegen, kijk je door het gaatje in de afdekking van de beker om te zien wat je hebt gegooid. Het aantal ogen dat je hebt gegooid wordt het aantal gele ballen dat de witte ballen zal vervangen in de bak. (in de beslissingstabel kun je zien welk aantal ogen zorgt voor de verdeling in witte en gele ballen).

Het aantal ogen dat je de eerste keer gooit met de dobbelsteen is het aantal witte ballen dat vervangen wordt door gele ballen. Vervolgens vragen we je de dobbelsteen nog tweemaal te gooien om voor jezelf vast te stellen dat de dobbelsteen goed werkt.

Als je klaar bent met het lezen van deze instructies mag je de deur opendoen. De proefleider brengt je de beker met de dobbelsteen en de beslissingstabel. Nadat je de dobbelsteen drie keer hebt gegooid vragen we je in de beslissingstabel het gegooide aantal ogen van de eerste rol aan te kruisen. Je kunt de beker naast de computer zetten. Open de deur en geef de beslissingstabel aan de proefleider, zodat de proefleider de bak met ballen kan klaarmaken. De proefleider zal terugkomen met de bak waaruit je, zonder te kijken, een bal mag pakken.

Appendix 5 Instructions Cash Loss Frame English and Dutch

Please read the instructions entirely and carefully.

In this experiment, your payoff will depend upon your decisions. All your decisions will be anonymous. You will indicate your decisions on a decision sheet that will be given by the experimenter during the experiment. There is no good nor bad answer.

From now and until the end of the experiment, we ask you to remain silent. If you have any questions, open the door and the experimenter will come to answer your questions privately.

General framework of the experiment

You just received $\notin 6$ which is now yours. *A ball draw will determine whether you lose this money.* In this experiment 6 coloured balls, either white or yellow, will be placed into a bowl. You have to randomly draw one ball which determines whether you lose your $\notin 6$. If the ball you draw is yellow you may keep your $\notin 6$; if the ball you draw is white you lose your money and you need to hand in your $\notin 6$. At the beginning of the experiment, there will be 6 white balls in the bowl. The number of yellow balls that will replace these white balls depends on your dice roll.

Before randomly drawing a ball, you will have to roll a regular, six face dice. More precisely, you have an opaque cup with a cover. The small hole located in the cover allows you to see the dice. You must shake the cup to throw the dice. Then put it down and, without moving the cup, take a look through the hole to observe the outcome of your throw. The number displayed by the dice will determine the number of yellow balls that will replace the white balls in the bowl (the decision sheet indicates the number of yellow and white balls according to each possible outcome of the dice).

The first roll will determine the number of yellow balls located in the bowl. After the first roll, we ask that you roll the dice under the cup 2 more times so that you can verify for yourself that the dice is legitimate. Open the door after you are done reading these instructions, then the experimenter will give you a "decision sheet" as well as the cup so you can roll the dice. After rolling the dice three times, tick on the "decision sheet" the number displayed by the first roll. Leave the cup next to the computer. Give the decision sheet to the experimenter, so the experimenter can prepare the draw (i.e., replace as many white balls by yellow ones as the number you have rolled in the first dice roll), then you may randomly draw a ball from the bowl. If this ball you draw is yellow you $\notin 6$ to the experimenter.

Lees de instructies volledig en nauwkeurig door.

Het bedrag wat je in dit experiment kunt verdienen hangt volledig af van je eigen beslissingen. Al je beslissingen zijn anoniem en niet bekend bij de proefleider. Je wordt gevraagd om je beslissingen aan te geven in de beslissingstabel, die je later tijdens het experiment zult ontvangen van de proefleider. Er zijn hierbij geen goede of foute beslissingen.

Vanaf nu tot het einde van het experiment willen we je vragen of stil te blijven. Als je vragen hebt kan je de deur openen en zal de proefleider je vraag privé beantwoorden.

Experiment

Je hebt zojuist \in 6 ontvangen wat nu van jou is. *Je trekt zo een balletje, en daarvan hangt af of je dit geld verliest.* Tijdens dit experiment zullen er 6 gekleurde balletjes, wit of geel, in een bak gestopt worden. Je zult gevraagd worden om één bal te pakken, zonder dat je ziet welke kleur deze heeft. Als de bal geel is mag je je \in 6 houden; als de bal wit is moet je je \in 6 inleveren. Aan het begin van het experiment zullen er 6 witte ballen in de bak zitten. Het aantal gele ballen dat de witte ballen zal vervangen hangt af van het aantal ogen dat je gooit met een dobbelsteen.

Voordat je straks een bal pakt uit de bak, rol je dus eerst een dobbelsteen. Dit is een gewone dobbelsteen met 6 zijden. Deze dobbelsteen bevindt zich in een papieren beker die is afgedekt. In deze afdekking zit een gat, zodat je kunt zien wat je hebt gegooid. Om de dobbelsteen te rollen schud je de beker om de beker vervolgens neer te zetten. Zonder de beker te bewegen, kijk je door het gaatje in de afdekking van de beker om te zien wat je hebt gegooid. Het aantal ogen dat je hebt gegooid wordt het aantal gele ballen dat de witte ballen zal vervangen in de bak. (in de beslissingstabel kun je zien welk aantal ogen zorgt voor de verdeling in witte en gele ballen).

Het aantal ogen dat je de eerste keer gooit met de dobbelsteen is het aantal witte ballen dat vervangen wordt door gele ballen. Vervolgens vragen we je de dobbelsteen nog tweemaal te gooien om voor jezelf vast te stellen dat de dobbelsteen goed werkt.

Als je klaar bent met het lezen van deze instructies mag je de deur opendoen. De proefleider brengt je de beker met de dobbelsteen en de beslissingstabel. Nadat je de dobbelsteen drie keer hebt gegooid vragen we je in de beslissingstabel het gegooide aantal ogen van de eerste rol aan te kruisen. Je kunt de beker naast de computer zetten. Open de deur en geef de beslissingstabel aan de proefleider, zodat de proefleider de bak met ballen kan klaarmaken. De proefleider zal terugkomen met de bak waaruit je, zonder te kijken, een bal mag pakken.

Appendix 6 Instructions No-Cash Loss Frame English and Dutch

Please read the instructions entirely and carefully.

In this experiment, your payoff will depend upon your decisions. All your decisions will be anonymous. You will indicate your decisions on a decision sheet that will be given by the experimenter during the experiment. There is no good nor bad answer.

From now and until the end of the experiment, we ask you to remain silent. If you have any questions, open the door and the experimenter will come to answer your questions privately.

General framework of the experiment

You start with $\in 6$. *A ball draw will determine whether you lose this money.* In this experiment 6 coloured balls, either white or yellow, will be placed into a bowl. You have to randomly draw one ball which determines whether you lose your $\in 6$. If the ball you draw is yellow you keep the $\in 6$ and may take the money home; if the ball you draw is white you lose the $\in 6$. At the beginning of the experiment, there will be 6 white balls in the bowl. The number of yellow balls that will replace these white balls depends on your dice roll.

Before randomly drawing a ball, you will have to roll a regular, six face dice. More precisely, you have an opaque cup with a cover. The small hole located in the cover allows you to see the dice. You must shake the cup to throw the dice. Then put it down and, without moving the cup, take a look through the hole to observe the outcome of your throw. The number displayed by the dice will determine the number of yellow balls that will replace the white balls in the bowl (the decision sheet indicates the number of yellow and white balls according to each possible outcome of the dice).

The first roll will determine the number of yellow balls located in the bowl. After the first roll, we ask that you roll the dice under the cup two more times so that you can verify for yourself that the dice is legitimate.

Open the door after you are done reading these instructions, then the experimenter will give you a "decision sheet" as well as the cup so you can roll the dice. After rolling the dice three times, tick on the "decision sheet" the number displayed by the first roll. Leave the cup next to the computer. Give the decision sheet to the experimenter, so the experimenter can prepare the draw (i.e., replace as many white balls by yellow ones as the number you have rolled in the first dice roll), then you may randomly draw a ball from the bowl. If this ball you draw is yellow you keep the $\epsilon 6$, sign for it and take the money home. If the ball you draw is white you lose the $\epsilon 6$ you started with.

Lees de instructies volledig en nauwkeurig door.

Het bedrag wat je in dit experiment kunt verdienen hangt volledig af van je eigen beslissingen. Al je beslissingen zijn anoniem en niet bekend bij de proefleider. Je wordt gevraagd om je beslissingen aan te geven in de beslissingstabel, die je later tijdens het experiment zult ontvangen van de proefleider. Er zijn hierbij geen goede of foute beslissingen.

Vanaf nu tot het einde van het experiment willen we je vragen of stil te blijven. Als je vragen hebt kan je de deur openen en zal de proefleider je vraag privé beantwoorden.

Experiment

Je begint met $\in 6$. *Je trekt zo een balletje, en daarvan hangt af of je dit geld verliest.* Tijdens dit experiment zullen er 6 gekleurde balletjes, wit of geel, in een bak gestopt worden. Je zult gevraagd worden om één bal te pakken, zonder dat je ziet welke kleur deze heeft. Als de bal geel is houdt je de $\in 6$ en mag je het geld mee naar huis nemen; als de bal wit is verlies je de $\in 6$. Aan het begin van het experiment zullen er 6 witte ballen in de bak zitten. Het aantal gele ballen dat de witte ballen zal vervangen hangt af van het aantal ogen dat je gooit met een dobbelsteen.

Voordat je straks een bal pakt uit de bak, rol je dus eerst een dobbelsteen. Dit is een gewone dobbelsteen met 6 zijden. Deze dobbelsteen bevindt zich in een papieren beker die is afgedekt. In deze afdekking zit een gat, zodat je kunt zien wat je hebt gegooid. Om de dobbelsteen te rollen schud je de beker om de beker vervolgens neer te zetten. Zonder de beker te bewegen, kijk je door het gaatje in de afdekking van de beker om te zien wat je hebt gegooid. Het aantal ogen dat je hebt gegooid wordt het aantal gele ballen dat de witte ballen zal vervangen in de bak. (in de beslissingstabel kun je zien welk aantal ogen zorgt voor de verdeling in witte en gele ballen).

Het aantal ogen dat je de eerste keer gooit met de dobbelsteen is het aantal witte ballen dat vervangen wordt door gele ballen. Vervolgens vragen we je de dobbelsteen nog tweemaal te gooien om voor jezelf vast te stellen dat de dobbelsteen goed werkt.

Als je klaar bent met het lezen van deze instructies mag je de deur opendoen. De proefleider brengt je de beker met de dobbelsteen en de beslissingstabel. Nadat je de dobbelsteen drie keer hebt gegooid vragen we je in de beslissingstabel het gegooide aantal ogen van de eerste rol aan te kruisen. Je kunt de beker naast de computer zetten. Open de deur en geef de beslissingstabel aan de proefleider, zodat de proefleider de bak met ballen kan klaarmaken. De proefleider zal terugkomen met de bak waaruit je, zonder te kijken, een bal mag pakken.

Number displayed by the dice	Number of yellow balls	Number of white balls	You win (if you draw a yellow ball)	Tick the number rolled (X)
Aantal ogen op de dobbelsteen	Aantal gele ballen	Aantal witte ballen	Als je een gele bal pakt win je:	Kruis het aantal ogen aan (X)
	1	5	€6	
	2	4	€6	
•	3	3	€6	
	4	2	€6	
	5	1	€6	
	6	0	€6	

Appendix 7 Decision Sheet Gain and Loss

Number displayed by the dice	Number of yellow balls	Number of white balls	You will lose (if you draw a white ball)	Tick the number rolled (X)
Aantal ogen op de dobbelsteen	Aantal gele ballen	Aantal witte ballen	Als je een witte bal pakt verlies je:	Kruis het aantal ogen aan (X)
	1	5	-€6	
	2	4	-€6	
••	3	3	-€6	
	4	2	-€6	
	5	1	-€6	
•••	6	0	-€6	

Appendix 8 Post-hoc questionnaire

Please fill in this short questionnaire!	Ppnr:						
The following questions are about <i>how you felt in the beginning</i> of this study, that is, <i>after</i> you read the laminated instructions, and <i>before</i> you filled in the questionnaire.							
The uncertain event, that is, the result of dice roll and ball draw was avoiding a <i>loss</i> of 6 Euro 1 2 3 4 5 6 7 8 9 ac	abou chiev	t ing	a g	<i>ain</i> of (6 E1	uro	
How much do you agree with the following statements?			<u>(</u>	fully fully <u>dis</u> agree agree	e		
Facing the uncertain outcome of the lottery was very unpleasant.	1	2	3	4 5 9	6	7	8
I felt uncomfortable not knowing whether I would draw a winning ball.	1	2	3	4 5 9	6	7	8
I strongly wanted to draw a winning ball.	1	2	3	4 5 9	6	7	8
I felt that the experimenter trusted me.	1	2	3	4 5 9	6	7	8
The behavior of the experimenter showed that she fully trusted me.	1	2	3	4 5 9	6	7	8
I was convinced that the experiment would take place exactly as announced beforehand (i.e., in the informed consent and the instructions).	1	2	3	45 9	6	7	8
I was convinced that my subsequent behavior (the dice roll and the ball draw) would really have financial consequences.	1	2	3	4 5 9	6	7	8
I doubted that the experimenter would really do what the instructions announced.	1	2	3	4 5 9	6	7	8
I fully trusted the experimenter.	1	2	3	4 5 9	6	7	8
I thought that the experimenter behaved in a naïve way.	1	2	3	4 5 9	6	7	8
It was important that I behaved in a trustworthy manner.	1	2	3	4 5 9	6	7	8
Which number did you hope you would roll? Please mark it.123456							
<i>After</i> you filled in the questionnaire and <i>before</i> you rolled the dice			C	fully fully lisagree agree			
I would have been very happy if I had rolled a 4.	1	2	3	4 5 9	6	7	8
I would have been very happy if I had rolled a 5.	1	2	3	4 5 9	6	7	8

I would have been very happy if I had rolled a 6.	1	2	3	4 5 9	6	7	8
I was hoping that I would roll a high number.	1	2	3	4 5 9	6	7	8
I was hoping to replace as many non-winning balls by winning balls as possible.	1	2	3	4 5 9	6	7	8
I felt that drawing a yellow (winning) ball would be very desirable.	1	2	3	4 5 9	6	7	8
I felt that drawing a yellow (winning) ball would be very important.	1	2	3	4 5 9	6	7	8
Drawing a white (non-winning) ball would feel really bad.	1	2	3	4 5 9	6	7	8
I thought about reporting a high number, even if I would roll a low number.	1	2	3	4 5 9	6	7	8
I knew that nobody would ever know which number I actually rolled.	1	2	3	4 5 9	6	7	8
I thought that the experimenter would know which number I really rolled.	1	2	3	4 5 9	6	7	8
I felt that it was important to accurately report the number that I rolled.	1	2	3	4 5 9	6	7	8
It was important to report my dice roll honestly.	1	2	3	4 5 9	6	7	8
I think that it is okay to report a higher number in this experiment.	1	2	3	4 5 9	6	7	8
How do you feel <i>now</i> ?			C	fully fully disagree agree	e		
I am happy.	1	2	3	4 5 9	6	7	8
I am disappointed.	1	2	3	4 5 9	6	7	8
I think that I made the right decisions in this experiment.	1	2	3	4 5 9	6	7	8
In hindsight, I would behave differently.	1	2	3	4 5 9	6	7	8
I feel fairly treated.	1	2	3	4 5 9	6	7	8

If you have any remarks, please write them on the backside.

Dr. W. Steinel, Social & Organisational Psychology ⊠ wsteinel@fsw.leidenuniv.nl

Thank you for your participation in this study!

Appendix 9 Debriefing Form

Thank you for participating in this study!

The general purpose of this research is to investigate whether people report a different outcome of a dice roll than what they actually rolled when this behavior increases the *likelihood* to get a desired outcome (6 Euro cash), and whether this depends on framing (i.e., whether the ball draw is about *winning* 6 Euro or about *not losing* 6 Euro).

In this study we recruited students at Leiden University who were randomly assigned to the loss frame condition and gain frame condition. You were asked to perform a different version of the dice under the cup paradigm. Specifically, you were asked to choose randomly a ball out of a container filled with six balls after rolling a regular six face dice. Firstly, the container was filled with six white balls. After the dice-roll, these balls were replaced with yellow balls depending on the report of the die roll. Every participant had to pick up randomly one ball from the container. In the gain frame condition the participant got the cash amount if he/she catch the yellow ball. If he/she catch the white ball, he/she did not receive the cash amount of six Euros. In the loss frame condition the participant got the cash amount before the dice roll. If he/ she catch the yellow ball, he/she could keep the money. If he/she catch the white ball, the had to turn the 6 euros back.

In the loss-frame manipulation we expect that people will over-report 6 to fully remove the uncertainty and will under-report the outcomes below 6; in the gain-frame we expect that people will under-report 6 because this remove the chance to attribute extrinsically the desired outcome to luck and over-report 5 and maybe also 4.

If you have further questions about the study, please ask the experimenter. You can also receive a research report; if you want this, please leave your email address on the reverse side of this form. If you have any complaints, you can contact dr. W. Steinel (wsteinel@fsw.leidenuniv.nl).

You now have knowledge of relevant information concerning the research. We ask you to treat these information as confidential until the end of the study:

Please do not talk about this study with other people, not to influence the behavior of future participants! Thank you!

Please send me a research report:					
Name	Email address				